# SPLIT DEEP Q-LEARNING FOR ROBUST OBJECT SINGULATION

Iason Sarantopoulos, Marios Kiatos, Zoe Doulgeri and Sotiris Malassiotis

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#### Introduction

#### **OVERVIEW**

#### Task:

- Extracting a target object from a pile of other objects in a cluttered environment.
- Prehensile grasping is impossible due to clutter



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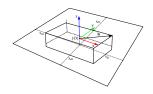
#### Policy:

- Pushing policy for singulating the target object.
- A novel Split Q-learning algorithm is proposed



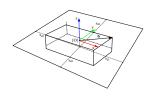
#### **Environment:**

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#### Assumptions:

- · Availability of:
  - Robotic finger for pushes
  - RGB information for pose estimation of target
  - Depth information for state representation
- Collisions between the fingertip and an object can be detected.
- Pushing actions result in 2D motion of the target. No flipping is expected.

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#### Objective

Singulate the target object from its surrounding obstacles by:

- · using the minimum number of pushes and
- $\boldsymbol{\cdot}$  avoiding to throw the target off the support surface's limits.

## MDP FORMULATION

#### **MDP: Actions**

$$\mathcal{P} = (\mathbf{p}_0, d, \theta)$$

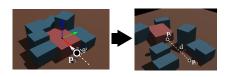


Figure 1: Push target



Figure 2: Push obstacle

- A pushing action:  $\mathcal{P} = (\mathbf{p}_0, d, \theta)$
- · Push target object

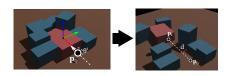


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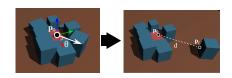


Figure 2: Push obstacle

$$\mathcal{P} = (\mathbf{p}_0, d, \theta)$$

- Push target object
  - Placing the finger beside the target

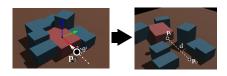


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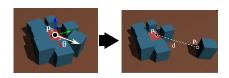


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$$\mathcal{P} = (\mathbf{p}_0, d, \theta)$$

- Push target object
  - Placing the finger beside the target
  - Risk of undesired collision with an obstacle

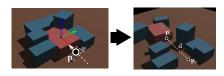


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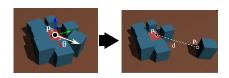


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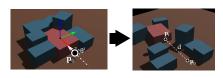


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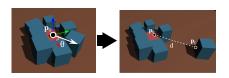


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  - Placing the finger above the target for pushing obstacles

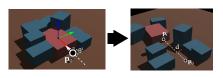


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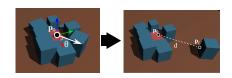


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  - · Risk of empty push

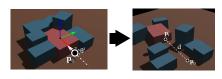


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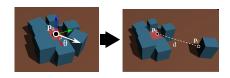


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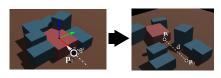


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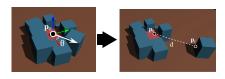


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- d predetermined and θ discretized in w pushing directions
- · 2w total discrete actions.

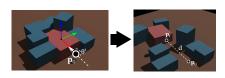


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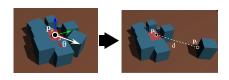
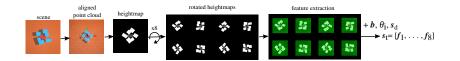


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#### MDP: STATE



- Transform the point cloud w.r.t. {O}
- · Generate heightmap.
- · Rotate heightmap w times.
- · For each rotation:
  - Define a 16x16 region and average the values of the heightmaps

$$z_{ij} = \frac{1}{c_x \cdot c_y} \sum_{x=x_1}^{x_2} \sum_{y=y_1}^{y_2} h_i(x,y)$$

• Add the bounding box, the rotation angle and the distances of the target from the table limits  $s_d$ .

#### MDP: REWARDS AND TERMINAL STATES

#### Sparse reward function for each timestep:

- Singulation r = +10 (successful terminal state)
- Falling off the table r = -10 (failed terminal state)
- Undesired collision r = -10 (failed terminal state)
- Empty pushes r = -5
- Otherwise: r = -1

 One fully connected network for each primitive.

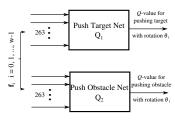


Figure 3: Split DQN

- One fully connected network for each primitive.
- Policy: argmax<sub>action</sub> Q(state, action)

```
\max Q = \max \left(\max Q_1(f_i), \max Q_2(f_i)\right)
```

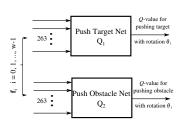


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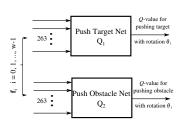


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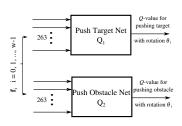


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  - Training on data that comes from the same distribution (same primitive) results to faster learning

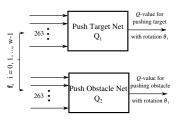


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- · Advantages:
  - The rotation invariant features simplifies learning
  - Training on data that comes from the same distribution (same primitive) results to faster learning
  - Inherent modularity for adding new primitives.

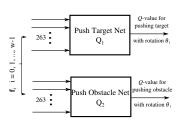


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### EXPERIMENTS

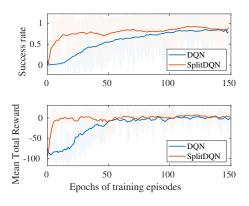
#### **EXPERIMENTS**

Video

#### **RESULTS: PERFORMANCE EVALUATION**

Policy	Success	Mean	Std	Mean	Std
	rate	actions	actions	reward	reward
Human	95.0%	2.46	0.88	7.51	4.36
SplitDQN	88.6%	2.95	1.43	3.42	18.56
DQN	77.1%	4.02	2.12	-1.924	23.01
Random	22.1%	5.79	3.24	-10.17	8.79
SplitDQN (Real)	75.0%	2.71	1.18	-1.37	5.60

#### RESULTS: TRAINING



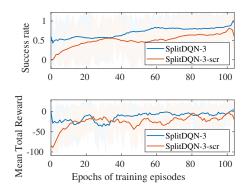
#### **EXTRA PRIMITIVE**

Video

#### **EXTRA PRIMITIVE: PERFORMANCE EVALUATION**

Policy	Success	Mean	Std	Mean	Std
	rate	actions	actions	reward	reward
SplitDQN-3	83.4%	3.19	1.43	-2.64	20.92
SplitDQN-2	59.6%	4.42	1.77	-20.35	40.95

#### EXTRA PRIMITIVE: TRAINING



# Conclusions

#### CONCLUSION

- Splitting Q network to use one network per primitive results to faster convergence and increased success rate.
- The inherent modularity of the algorithm allows the addition of extra primitives.
- Effective training in a complex environment.
- Demonstrating that the policy can effectively transferred to a real world setup.

